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For polygons of fixed side lengths embedded in  $\mathbb{R}^3$ , a natural question is whether the embeddings are simply knot types, or there exist distinct embeddings of the same knot. This question was answered by J. Cantarella and H. Johnston [*J. Knot Theory Ramifications* **7** (1998), no. 8, 1027–1039; [MR1671500 \(99m:57002\)](#)]. They showed that for some particular assignment of side lengths, there are three connected components corresponding to the unknot in  $\text{Pol}_6(l_1, l_2, \dots, l_6)$  (this notation is used for the space of embedding classes of polygons of 6 sides, where  $l_1, l_2, \dots, l_6$  are the lengths of the sides). Later, G. T. Toussaint [*Beiträge Algebra Geom.* **42** (2001), no. 2, 301–306; [MR1865519 \(2002k:57020\)](#)] showed that there are two more classes for a different polygonal unknot with 6 sides (a hexagonal unknot). In this article, the authors consider the maximum number of embedding classes for the unknot, and show that there exists a hexagonal unknot with at least nine embedding classes.

[Reviewed](#) by [Peiyi Zhao](#)**[References]**

Note: This list reflects references listed in the original paper as accurately as possible with no attempt to correct errors.

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